## APPENDIX -VIII

The formula selected to compute chi-square values through the test of independence in contingency table.

The differences between the scores on educational interests of men-in general as observed results and these expected on normal distribution was calculated to establish the predictive validity of the test by using the formula given by Garette (1961., p 253-84)

"The equation for chi-square  $(x^2)$  stated as follows :

$$\frac{(fo - fe)^2}{x^2} = fe$$

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Chi-square formula for testing agreement between observed and expected results) in which

- fo = frequency of occurance of observed or experimentally determined facts.
- fe = expected frequency of occurance on a conthesis.

The differences between observed and expected frequencies are squared and divided by the expected number in each case, and the sum of these quotients is  $x^2$ . the more closely the observed results approximate to the expected. The smaller the chi-square and the closer the agreement between the observed

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data and the hypothesis being tested.

The relationship between the interest on education scales of men-in-general group on majority of the items by  $x^2$  test indicated a significant differences.

Item : Agriculture officer on Agriculture Education Scale.

obs. (fo)	17.2		39.0		43.8	·
Exp. (fe)	33.3		33.3		33.3	,
Fo-Fe =	-16.1		+5.7		+10.5	,
$(Fo-Fe)^2 =$	259.21		32.49		110.25	
$(\underline{\text{Fo-Fe}})^2 =$	259.21		32.49		110.25	
· Fe	33.3		33.3		33.3	
•	7.78	+	0.97	+	3.3	12.05

X = 12.0\*\*

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Tablevalue -

Significant at 0.05 = 5.991\*

0.01 = 9.210\*\*

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