

APPENDIX -IX

Formula was employed to determine the χ^2 values for various stratom on 325 items laid down by Garette.

VI Agriculture Officer

Step 1

Sum the rows and columns to obtain row and column frequency totals R and C.

<u>Urban Boys</u>	59	99	92	<u>Row Total</u>
	(50.21)*	(117.9)	(81.8)	250*
<u>Urban Girls</u>	33	117	58	208
	(41.7)*	(98)	(68)	
<u>Column Total</u>	92*	216	150	458*

Here the Total No. of Urban Boys = 250

N = 458 (2)

Total No. of Urban Girls = 208

Expected Frequencies (3)

Step 2 Sum the row and column total

Separately to obtain N

Step 3 Compute the expected

$$(1) \frac{250 \times 92}{458} = 50.2$$

frequency (fe) for each cell

$$(2) \frac{250 \times 216}{458} = 117.9$$

in the table by proportion-
ating the row total

$$(3) \frac{250 \times 150}{458} = 81.8$$

according to column totals.
fe = $\frac{(R) \times (C)}{N}$ where R is

$$(4) \frac{208 \times 92}{458} = 41.7$$

The total of row, the cell is

in and C is the total of the column it is in.

$$(5) \frac{208 \times 216}{458} = 98$$

$$(6) \frac{208 \times 150}{458} = 68$$

Step 4 Enter the expected frequencies (f_e) in the appropriate cell of the contingency table. These expected frequencies must sum to the same row and column totals as the observed frequencies.

Step 5 Subtract to obtain $f_o - f_e$ difference and enter the difference in a symmetrical pattern below the contingency table. These differences must sum to zero in each row and in each column.

Step 6 Enter the square of the difference over the expected frequency $\frac{(f_o - f_e)^2}{f_e}$ in a symmetrical pattern below the differences.

Step 7 Divide the squared differences by the expected frequency and enter each quotient to the right of the expression, $\frac{(f_o - f_e)^2}{f_e}$.

Step 8 Sum the quotient (6) to obtain the chi-square

(5)	8.8	-18	11
	-8	19	-10

$$(6) \quad \frac{77.44}{50.2} = 1.54 \quad \frac{324}{117} = 2.76 \quad \frac{121}{81} = 1.5$$

$$\frac{64}{41} = 1.56 \quad \frac{100}{98} = 1.02 \quad \frac{100}{68} = 1.4$$

$$(7) \quad \overset{2}{\cancel{7}} \quad \overset{2}{\textcircled{\text{X}}} = 1.54 + 2.76 + 1.5 + 1.56 + 1.02 + 1.4$$

$$= \underline{9.78}$$