

C O N T E N T S

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 7. Proof of Hasse - Witt theorem
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 10. The space of the reduced indefinite symmetric matrices.
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 29. Lemmas from Siegel [6]
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